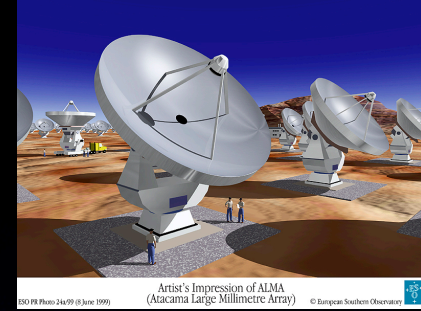


Welcome



A new generation of databases for interstellar chemical modeling in preparation for HSO and ALMA

Goal of the team: Address the difficult question of uncertainties in reaction rate coefficient in order to improve chemical databases for astrochemistry modeling.

Meeting 1: General consideration about uncertainties

Meeting 2: Work on specific reactions

Publication of a review paper on this topic

Program

Monday afternoon: Session 1

Introduction to astrochemistry and gas-phase databases

Tuesday morning: Session 2

Estimated uncertainties in rate coefficients and how they are used

Tuesday afternoon: Session 3

Theory and temperature extrapolation

Wednesday morning: Session 4

Gas-phase experiments and uncertainties in rate coefficients

Wednesday afternoon: Session 5

Surface chemistry and uncertainties

Thursday morning: General discussion



Abundance Uncertainties and Sensitivity Analyses in cold and hot sources

Valentine Wakelam
Laboratoire d'Astrophysique de Bordeaux
University Bordeaux I / CNRS
France

Uncertainties in rate coefficients in osu

- ✓ osu network: created and used by the Ohio State University Astrochemistry team (led by Prof. Eric Herbst)
- ✓ Mainly for low temperature objects
- ✓ Uncertainties recently added similarly to UMIST

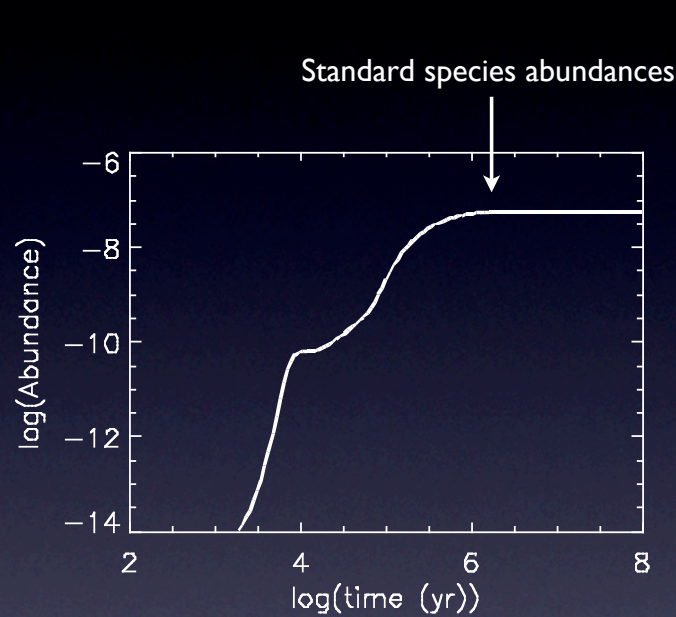
Model used: 0D pure gas-phase model, single fixed gas temperature and density, time dependent chemistry

OSU and Srates database

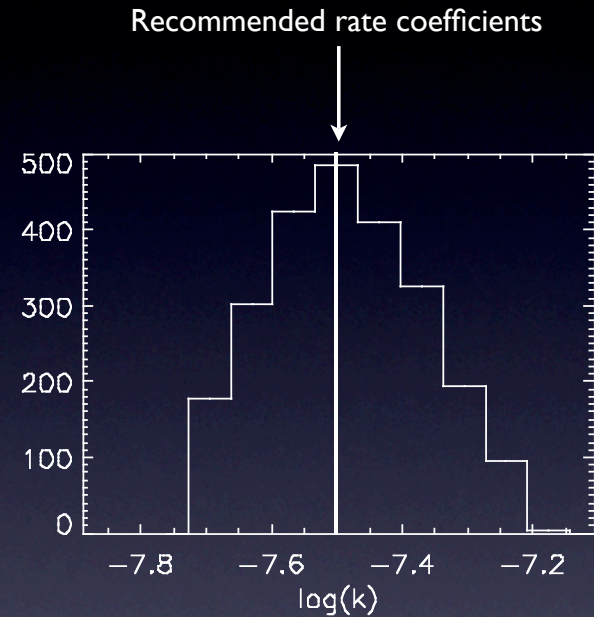
Two types of sources:

- dark clouds ($T=10\text{K}$, $n(\text{H}_2)=10^4\text{cm}^{-3}$, $A_v=10$)
- “hot corinos” ($T=100\text{K}$, $n(\text{H}_2)\sim 10^7\text{cm}^{-3}$, $A_v=10$)

Uncertainty Method

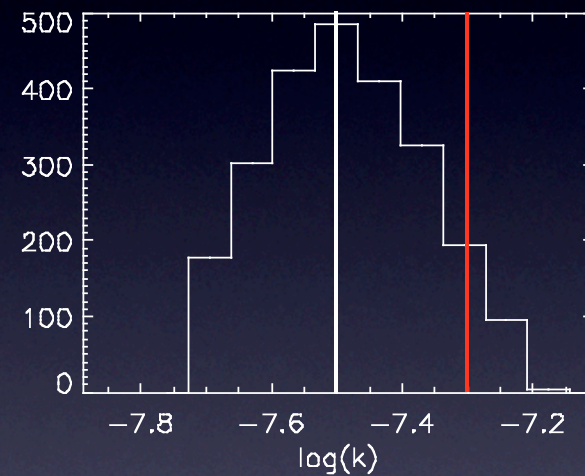
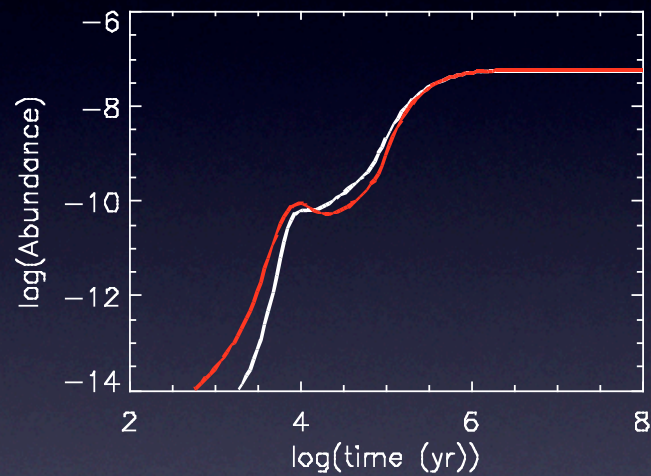


SO abundance



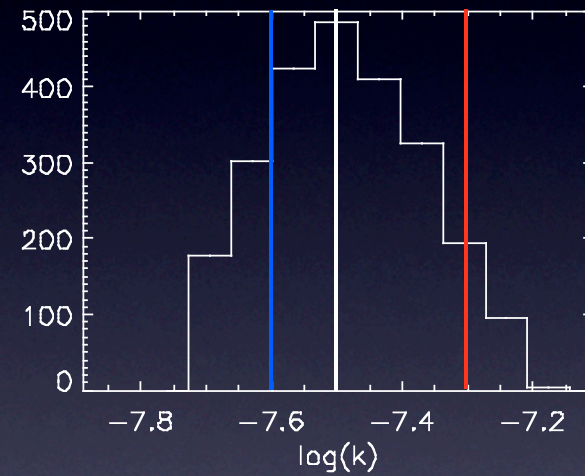
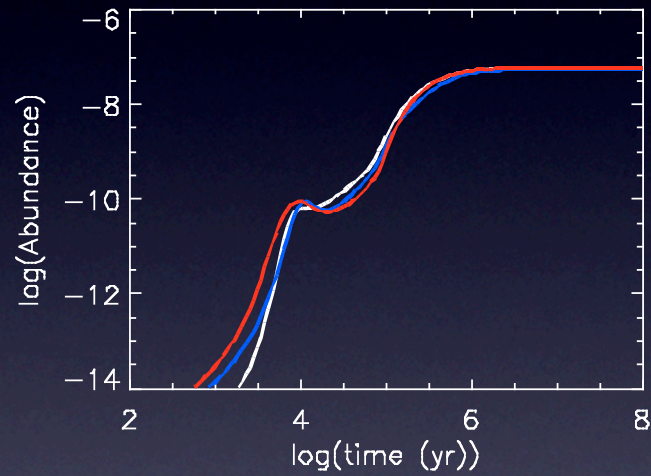
Distribution of k assuming the uncertainty in the rate coefficients is lognormal

Uncertainty Method



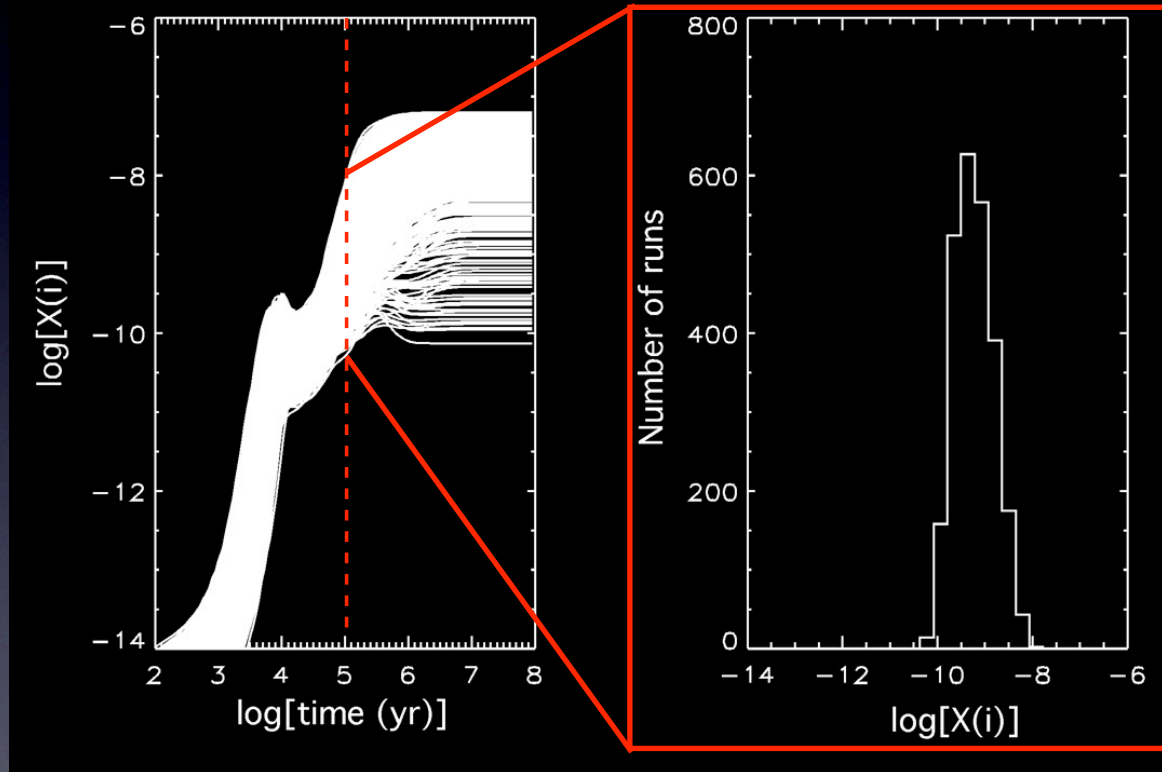
Random variation of k within the uncertainty range

Uncertainty Method



Random variation of k within the uncertainty range

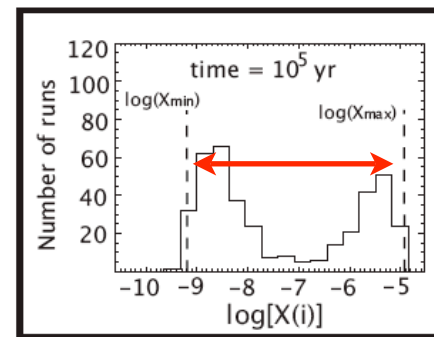
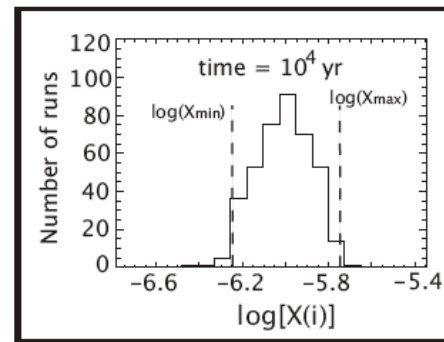
Uncertainty Method



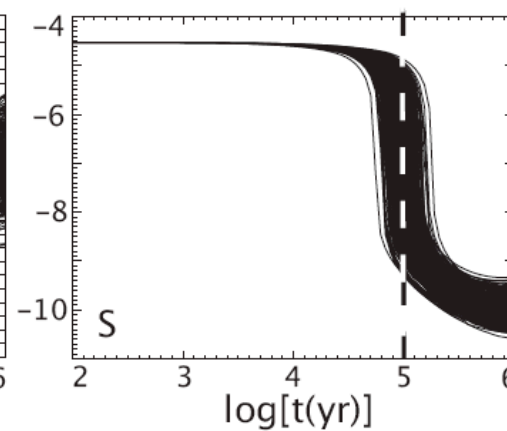
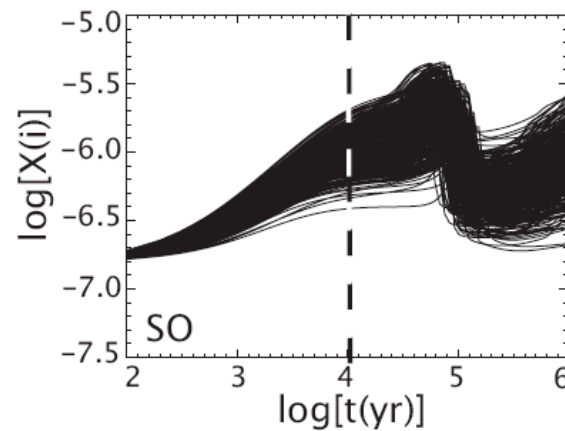
SO abundance: each line is the result of one run

Distribution of SO abundance at 10^5 yr

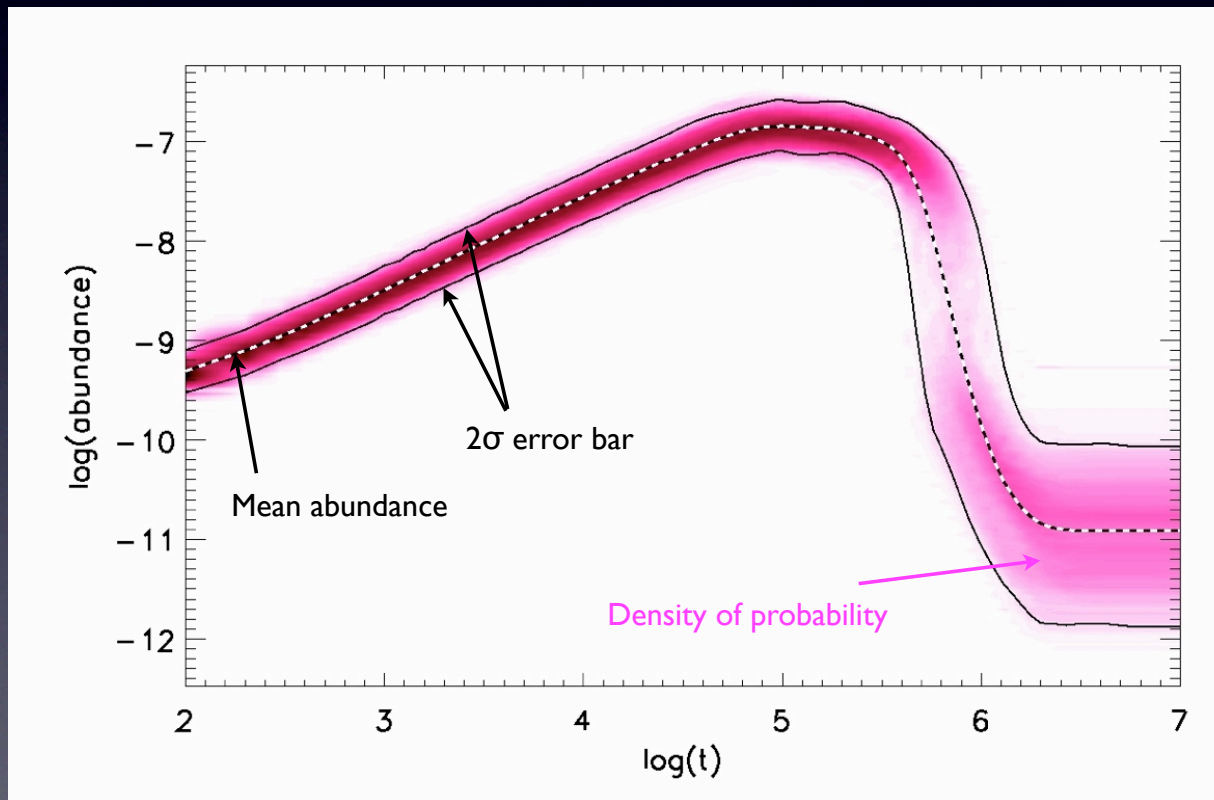
Defining uncertainties in abundance species



$\Delta\log(X)$
contains 94.5% of the curves

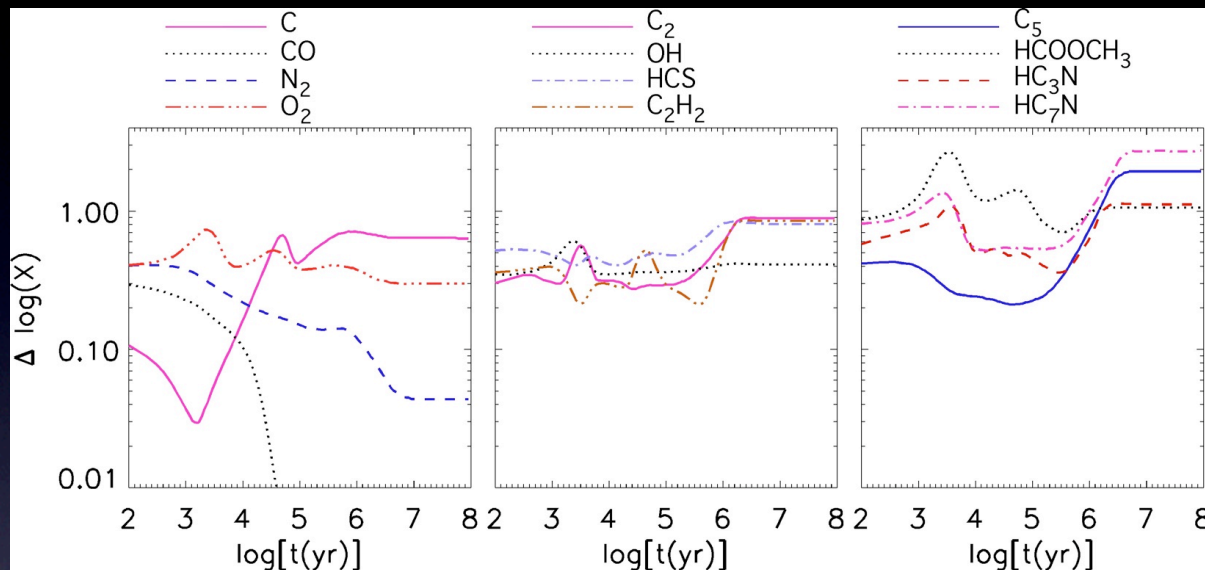


Typical results: H₂CS in hot cores



Some quantitative results

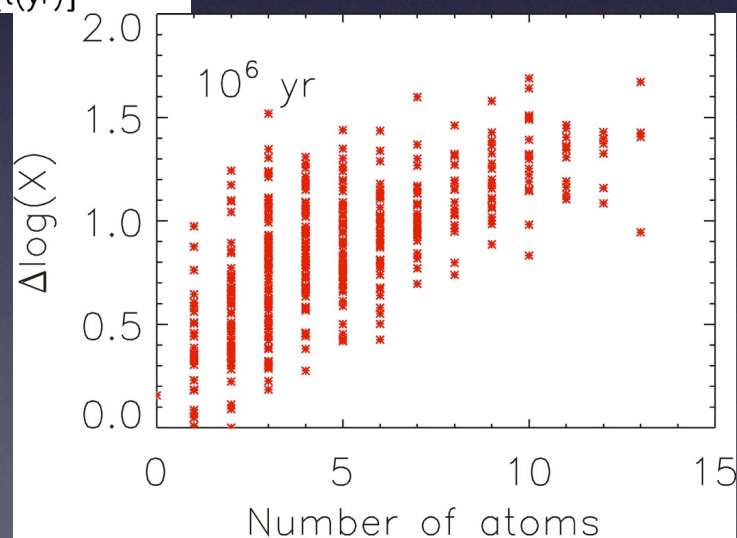
Uncertainties in molecular clouds



Values of the uncertainties in the abundance species as a function of time and complexity of the molecule

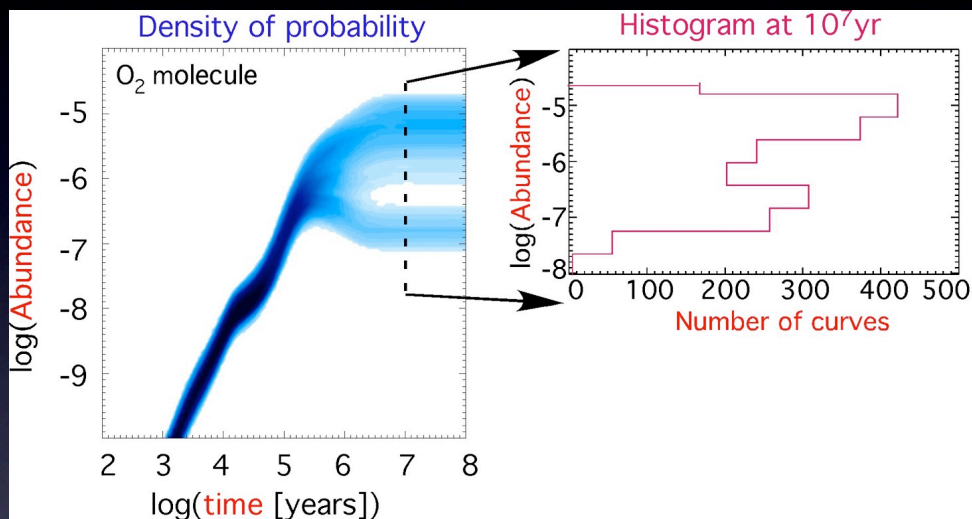
$\Delta \log(X) = 0.1$ means $X/1.25 \leq X \leq X * 1.25$

$\Delta \log(X) = 1$ means $X/10 \leq X \leq X * 10$

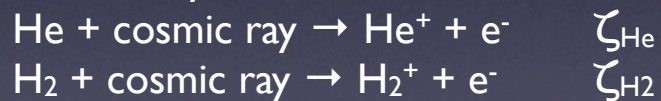


Finding hypersensitivity and bistability

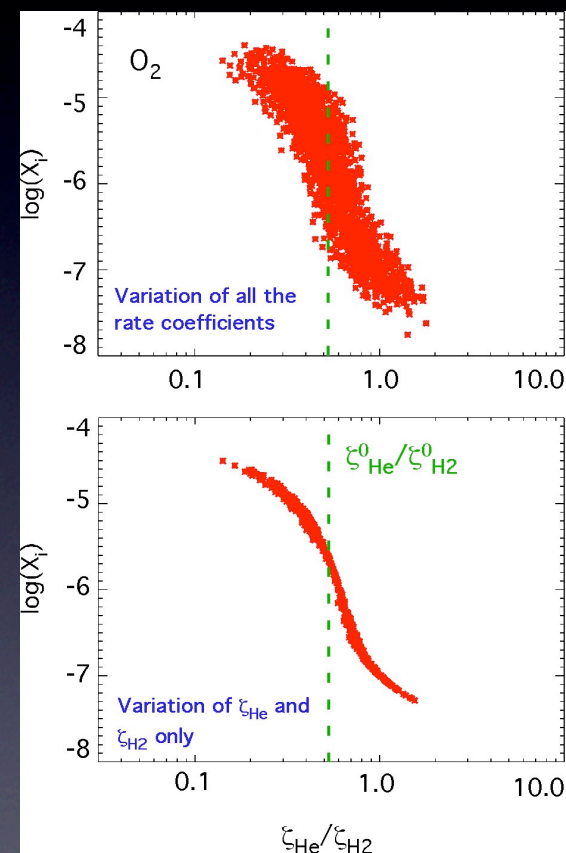
High metal elemental abundances - varying all rate coefficients at the same time



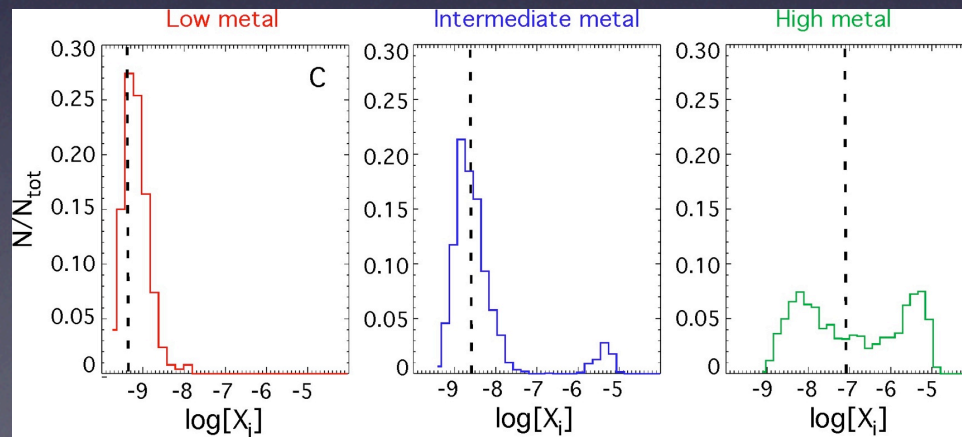
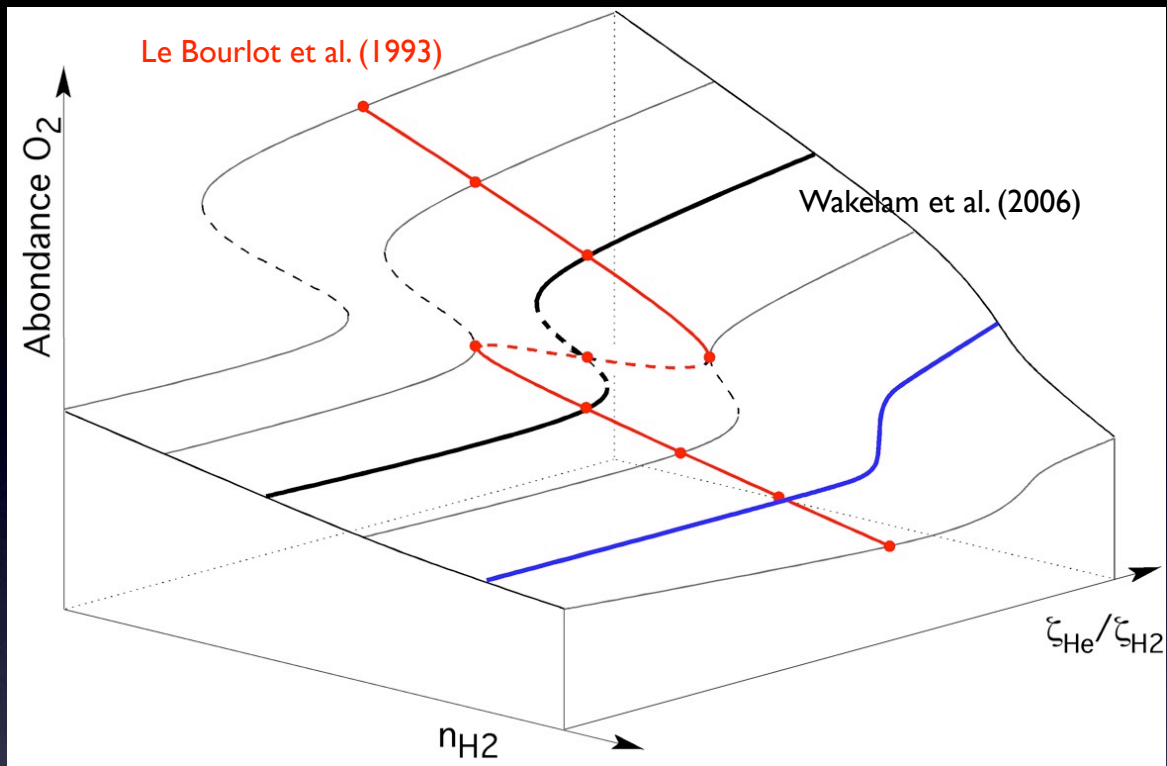
Cosmic ray ionization:



O_2 abundance as a function of $\zeta_{\text{He}}/\zeta_{\text{H}_2}$



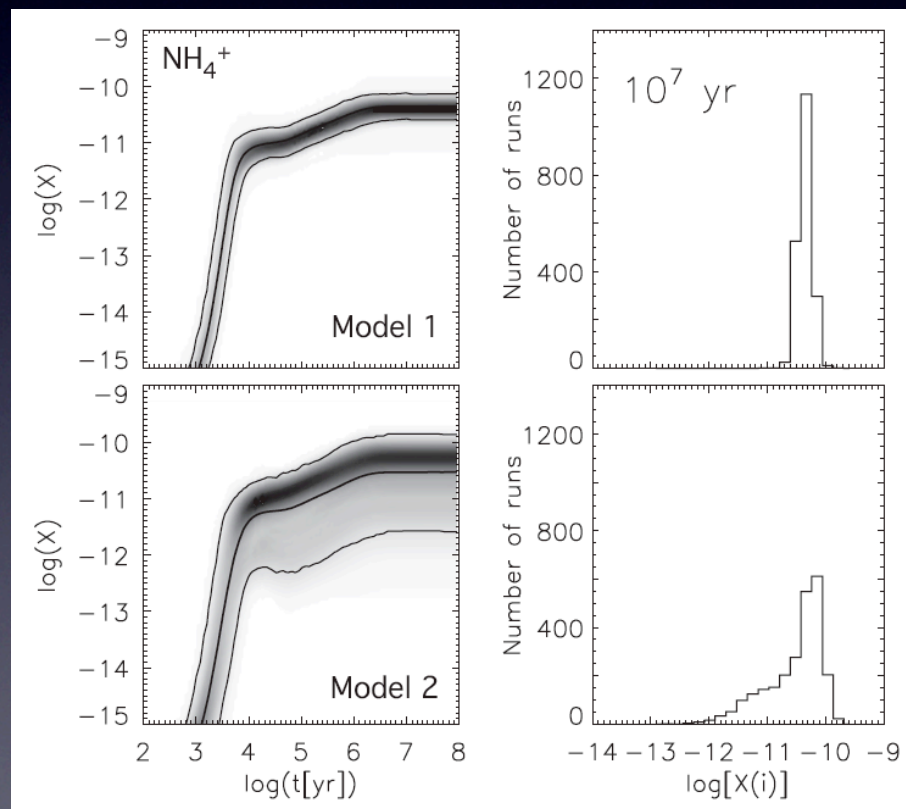
Wakelam et al. (2006)



Uncertainties in physical conditions in molecular clouds

Variation of 50% of T and $n(\text{H}_2)$ around typical values (10K and 10^4cm^{-3})
Increase the uncertainty for some species especially N-bearing species

Nitrogen chemistry starts with
 $\text{N}^+ + \text{H}_2 \rightarrow \text{NH}^+ + \text{H}$ $k=10^9\exp(-85/T)$
Not efficient à low T



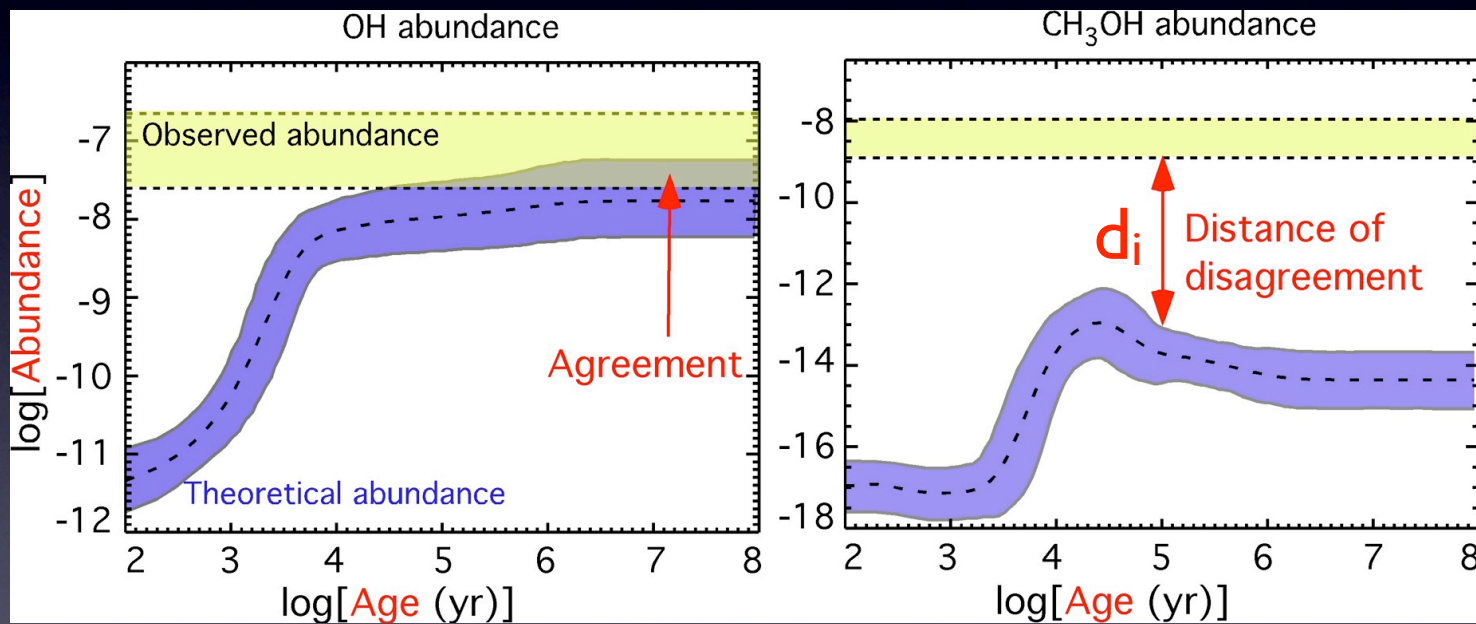
What can we do with the uncertainties in abundance species?

Compare the theoretical and observed abundances taking into account the both error bars in order to:

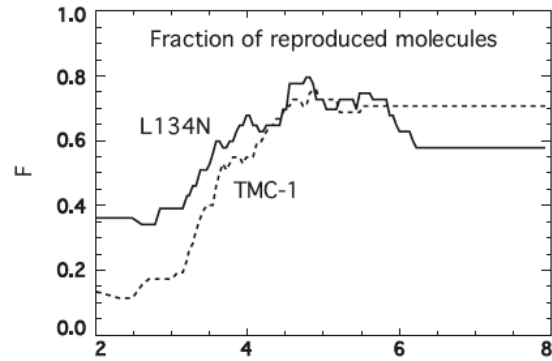
- ✓ define the most problematic species (really not reproduced by models)
- ✓ define the need for including other processes (gas-grain interactions for instance)
- ✓ laboratory needs

Problem: how do we compare?

Proposed method to compare observed and modeled abundances

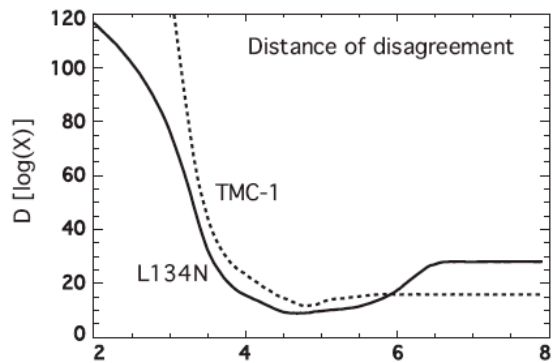


Wakelam et al. (2006)

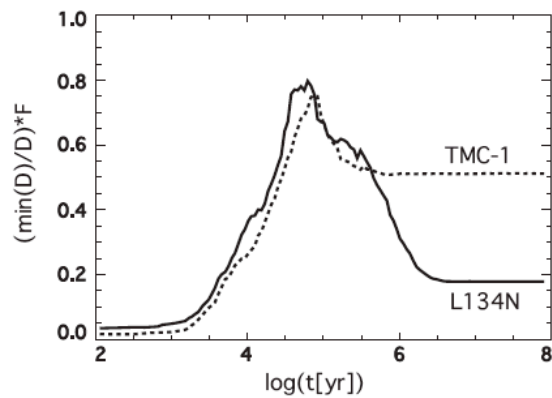


$F(t)$ = fraction of reproduced species as a function of time

⇒ Constrain non reproduced species



$D(t) = \sum d_i$ for non-reproduced species as a function of time



$[\min(D)/D(t)]*F(t)$

Takes into account both agreement and disagreement

⇒ Constrain the chemical age

Reproduce around 80% of observed molecules in L134N and TMC-1 assuming a factor of 3 uncertainty in observed abundances.

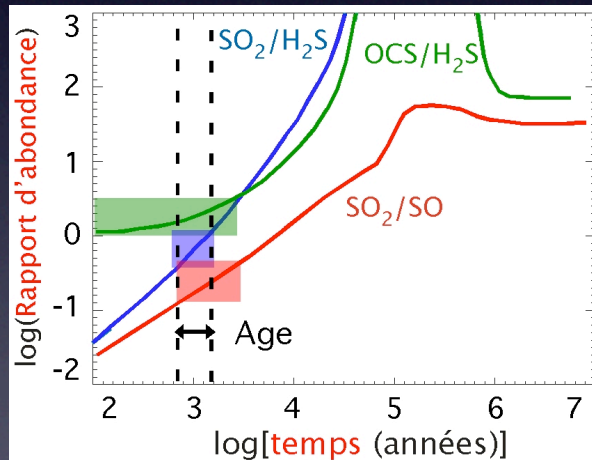
BUT:

- ✓ Values in the observed uncertainties (different approximations and telescopes)
- ✓ Values in the rate coefficient uncertainties
- ✓ Observed abundances in TMC-1 reproduced only if $C/O > 1$

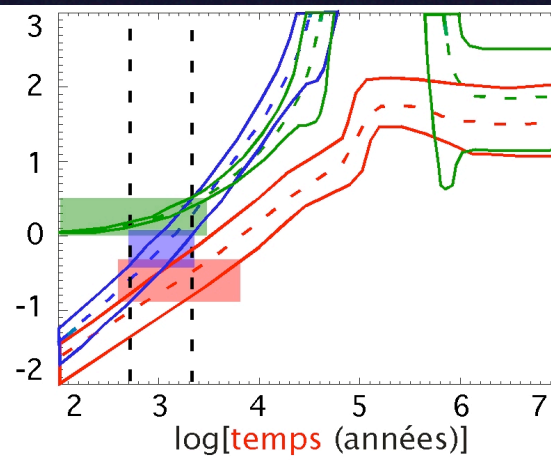
Dating low mass protostars

0D gas-phase chemical model for low mass protostar.
Comparison with observations in IRAS16293-2422

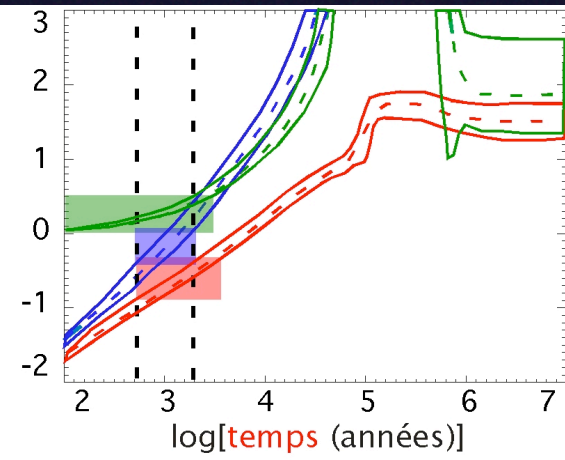
Without uncertainties



With uncertainties



Reducing uncertainties on a list of 5 selected reactions



Wakelam et al. (2005)

Sensitivity Methods

Identification of important reactions that may be wrong or can be improved

Linear correlations:

- varying rate coefficients one after another (method 1)
- linear correlation coefficients (method 2)

Non-linear correlations (to be done in ISM chemistry)

Method I

Varying rate coefficients one after an other

Recommended rate coefficients

$$k_{\text{rec}}^1, k_{\text{rec}}^2, \dots, k_{\text{rec}}^n$$



Abundances of reference

$$X^{\text{ref}}_1, X^{\text{ref}}_2, \dots, X^{\text{ref}}_m$$

Modifying one rate coefficient
(by a certain factor)

$$k_{\text{mod}}^1, k_{\text{rec}}^2, \dots, k_{\text{rec}}^n$$



Modified abundances

$$X^{\text{mod}}_1, X^{\text{mod}}_2, \dots, X^{\text{mod}}_3$$

Compute at each time step, how much each reaction influences the abundance of each species:

$$R_j^i(t) = \frac{(X_j^i(t) - X_j^{\text{ref}}(t))}{X_j^{\text{ref}}(t)}$$

If $R_j^i(t) = 0.1$, it means that the modification of reaction i rate coefficient by a certain factor induces an increase of 10% in the species j abundance at a time t .

Method 2

Pearson correlation coefficients

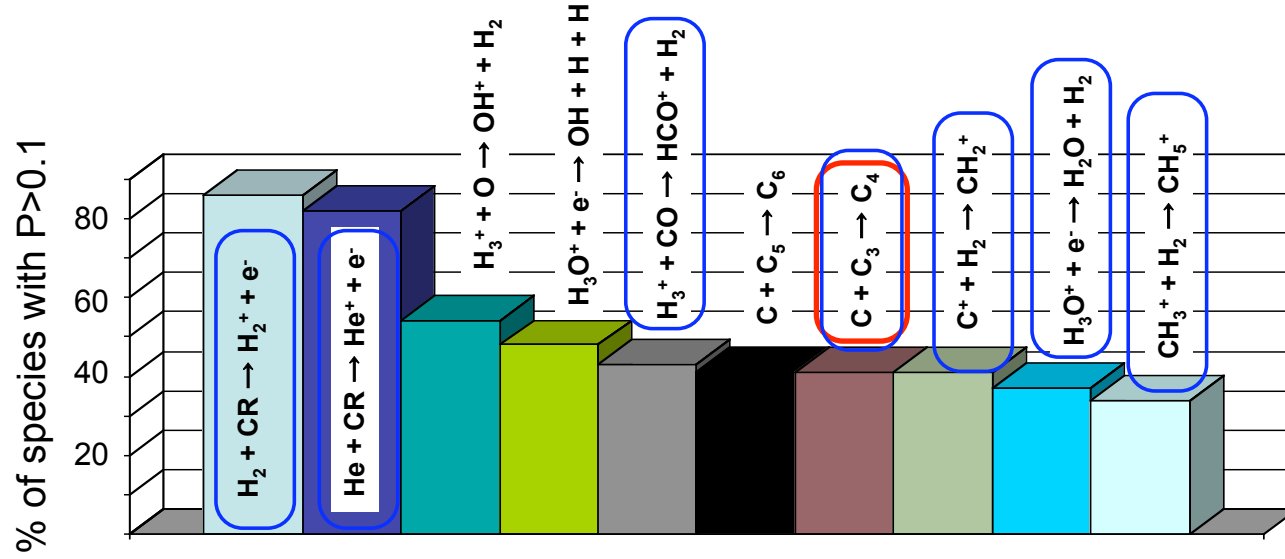
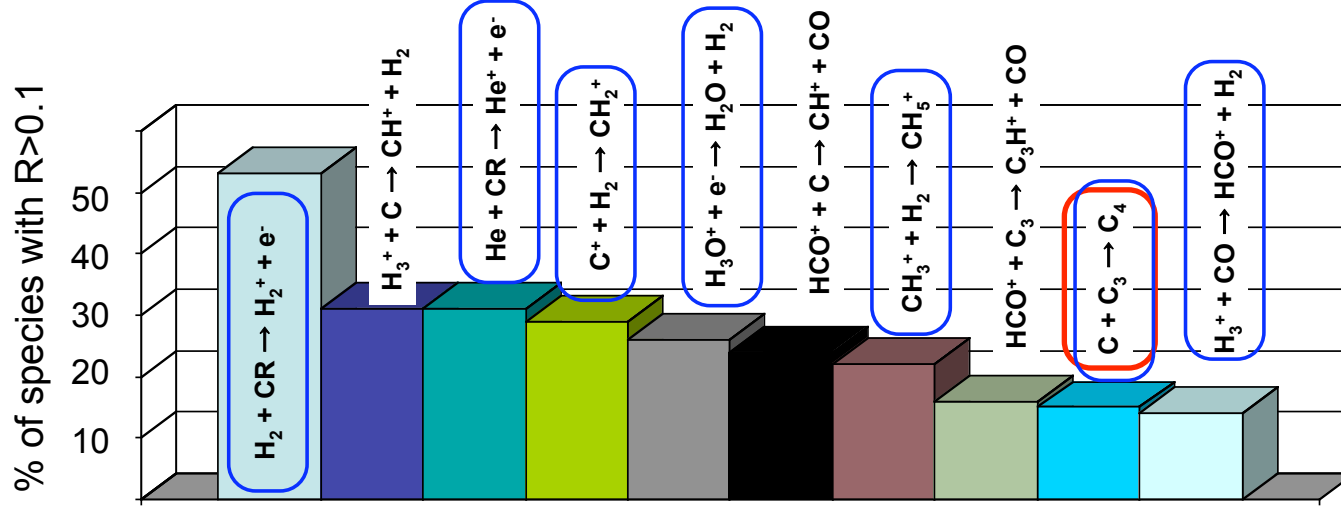
Random modification of all rate coefficients at the same time in their uncertainty range → results of the uncertainty calculations

$$P_j^i(t) = \frac{\sum^l (X_j^l - \bar{X}_j)(k_i^l - \bar{k}_i)}{\sqrt{(\sum^l (X_j^l - \bar{X}_j)^2 \sum^l (k_i^l - \bar{k}_i)^2)}}$$

X abundance species, \bar{X} mean abundance
k rate coefficient, \bar{k} mean rate coefficient

Comparison methods 1 and 2

The 10 most important reactions



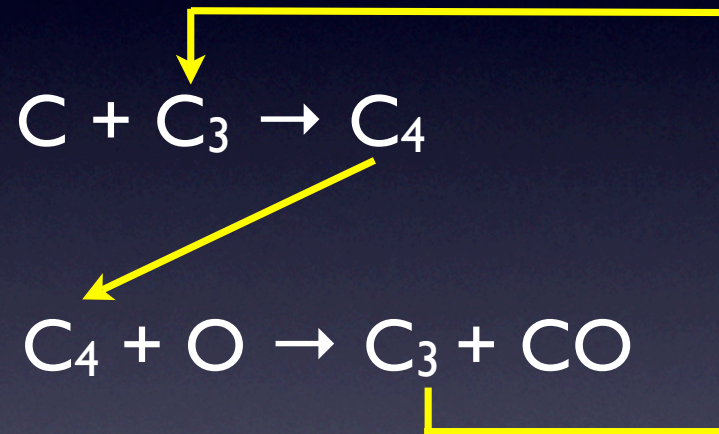
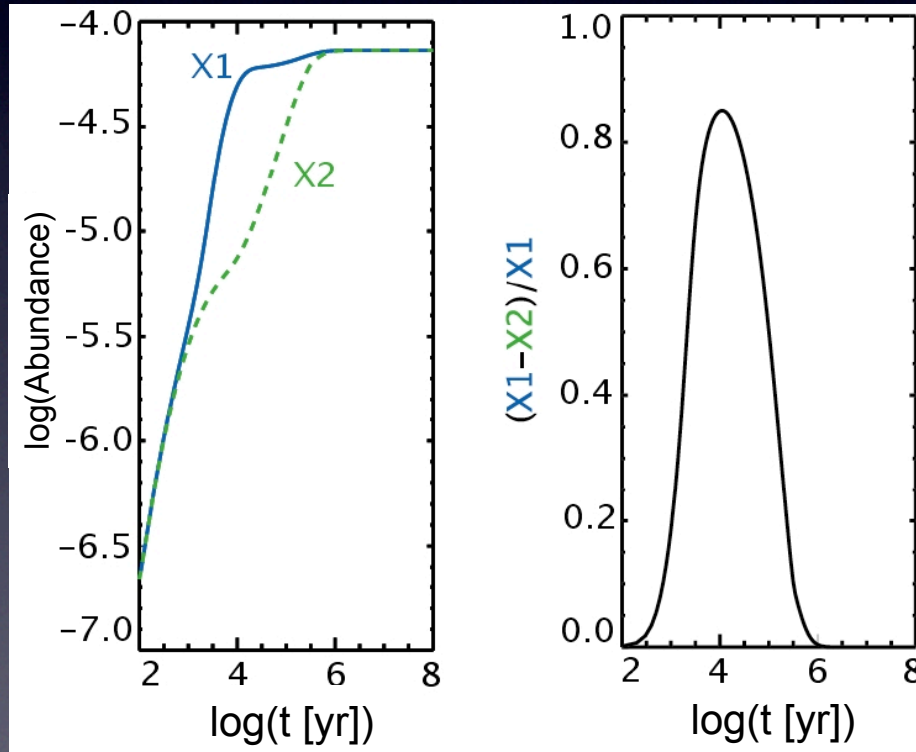
Example: Reaction $C + C_3 \rightarrow C_4$

Previous value of k : $10^{-10} \text{ s}^{-1} \text{ cm}^{-3}$ Smith et al. (2004)

Proposed new value: $\sim 10^{-12} \text{ s}^{-1} \text{ cm}^{-3}$

k_1
 k_2

CO abundance as a function of time



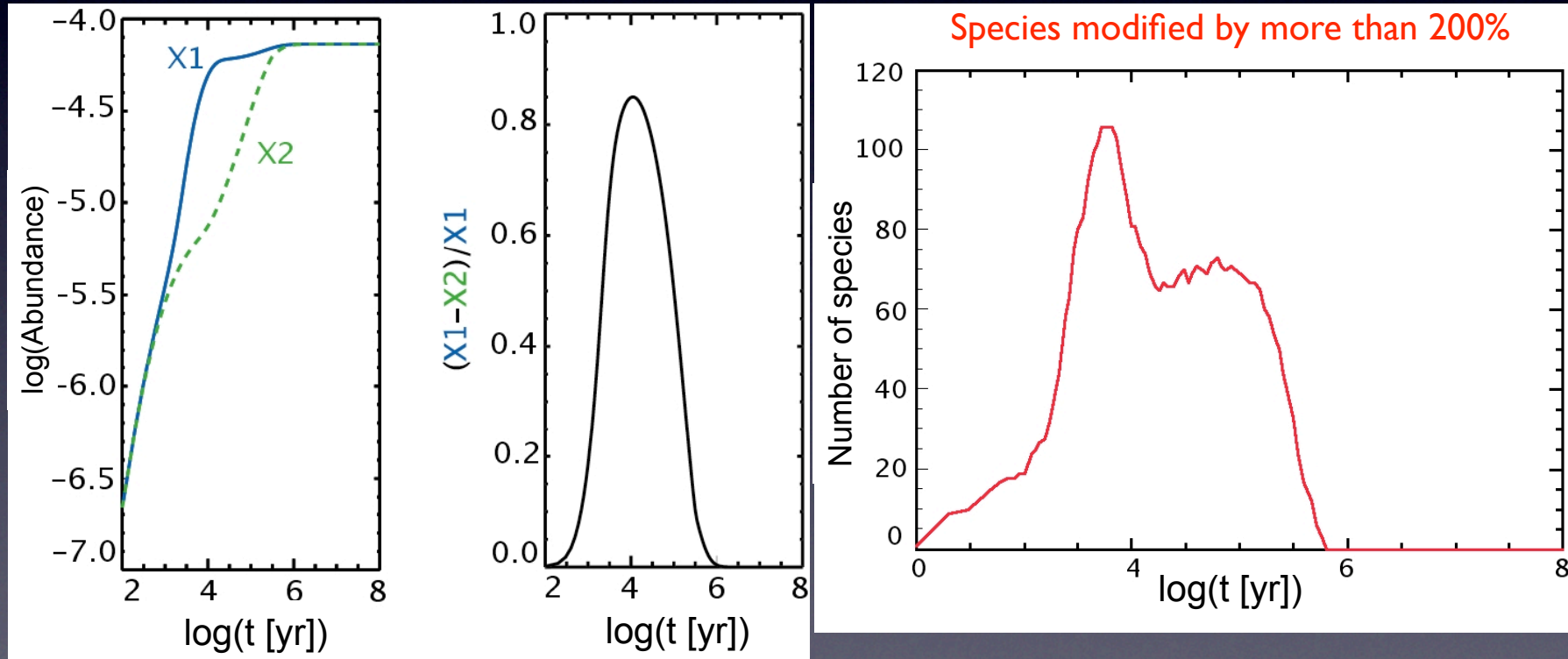
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k_1
 k_2

CO abundance as a function of time



The main problem: the definition of the
rate coefficient uncertainties